

Challenge Set #4

- 1) Find the point $Q \in \ell$ so that $|\overrightarrow{PQ}|$ is a minimum given that $P(6,3,-1) \notin \ell$ and $\ell : (x, y, z) = (3, -2, 0) + t(4, 3, -2)$. What techniques can you use to verify your answer?
- 2) One line passes through points A(-2, 2, -6) and B(-5, -1, -10) while a second line passes through points C(3, -4, -5) and D(3, -3, -3). Determine the shortest distance between these lines and determine the locations on the lines where this shortest distance occurs.
- 3) Given the lines $\frac{x-1}{2} = \frac{y}{4} = \frac{z+1}{3}$ and $\frac{x}{2} = \frac{y+1}{1} = \frac{z+2}{-3}$, use a variety of techniques to show that they are either skew or that they intersect.

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